Toward Affordance-Aware Planning

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Goal

Enable autonomous agents to learn how to plan efficiently in massive stochastic state spaces.

Affordances

Affordances: knowledge added to an MDP that directs the agent toward relevant action possibilities.

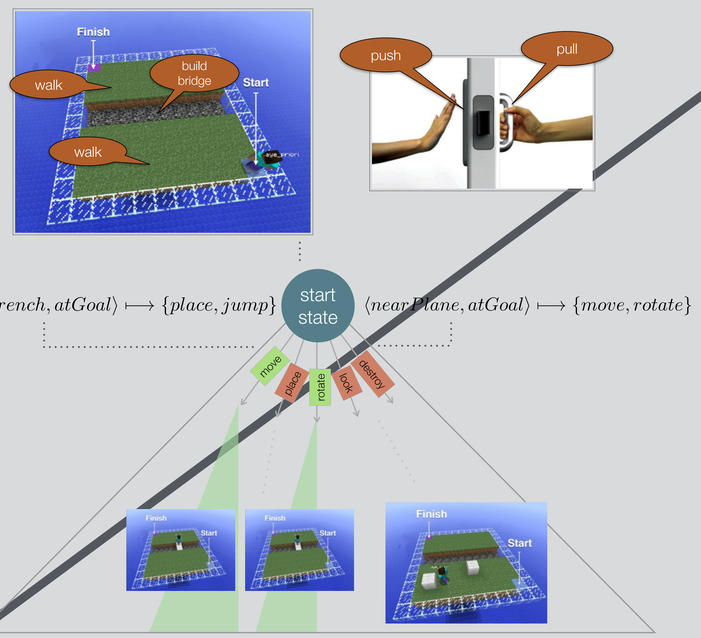
Formalism:

$$\Delta = \langle p, g \rangle \longmapsto \mathcal{A}'$$

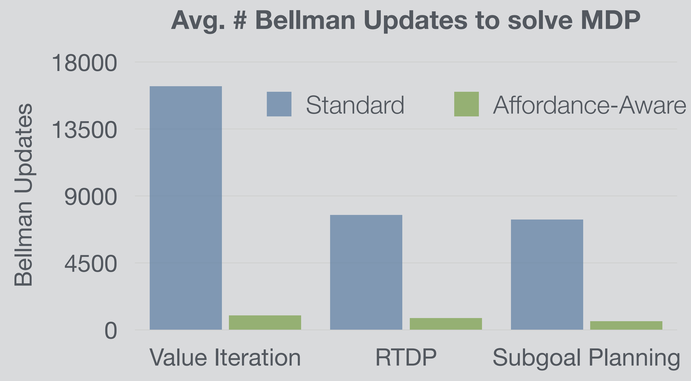
Where:

- Δ = symbol for an affordance
- p = predicate on states
- g = lifted goal description
- $\mathcal{A}'$ = subset of MDP Actions

Example: Affordances in Minecraft



Preliminary Results



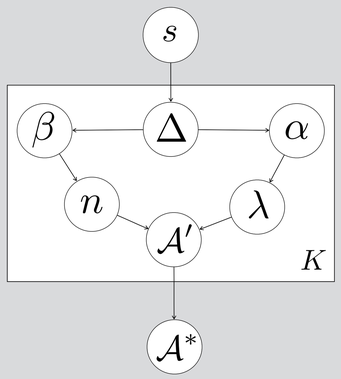
Learning

Goal: For a given state s, learn which actions are most relevant

$$\Pr(\mathcal{A}^* \mid s, \Delta_1 \dots \Delta_K)$$

$$= \Pr(\mathcal{A}'_1 \cup \dots \cup \mathcal{A}'_K \mid s, \Delta_1, \dots, \Delta_K) \approx \sum_i^K \Pr(\mathcal{A}'_i \mid s, \Delta_i)$$

Graphical Model:



- s = OO-MDP State
- Δ = Affordance
- α = Action Counts
- β = Action Set Size Counts
- λ = Multinomial on Actions
- n = Multinomial on Action Set Size
- $\mathcal{A}'$ = An Affordance's Action Set
- $\mathcal{A}^* = \bigcup_{i=1}^{K} \mathcal{A}'_i$

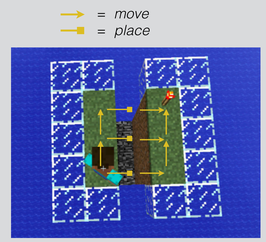
$$\Pr(\lambda_i \mid \alpha_i) = DirMult(\alpha_i) \qquad \Pr(n_i \mid \beta_i) = Dir(\beta_i)$$

Learning Example

1) For each activated affordance, count:

$\alpha =$ number of worlds in which each action was used

$\beta =$ number of unique actions used in each world



$\Delta_1 = \langle \checkmark nearTrench, \checkmark atGoal \rangle$

$\Delta_1.\alpha.moveRight{+}{+},\ \Delta_1.\alpha.moveForward{+}{+},\ \Delta_1.\alpha.placeRight{+}{+}$

$\Delta_1.\beta.3{+}{+}$

2) When solving the MDP on a new state space, in each state s:

$$\mathcal{A}^* = \bigcup_{i=1}^{K} (\Delta_i.getActions(s))$$

3) Where

$\Delta_i.getActions(s)$:

$\lambda \leftarrow DirMult(\Delta_i.\alpha)$
$n \leftarrow Dir(\Delta_i.\beta)$
$\mathcal{A}' \leftarrow_n \lambda$
`return:` $\mathcal{A}'$

Learning Results