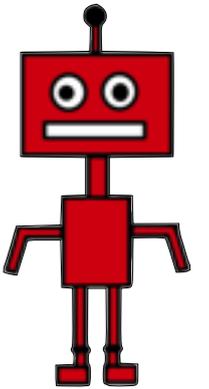




# Toward Affordance-Aware Planning



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RSS: First Workshop on Affordances  
July 13, 2014

# Robotics Motivation

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## Tool Use, Subgoal Planning



# Problem Statement

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Enable Autonomous Agents to learn to plan effectively in massive stochastic state-spaces.

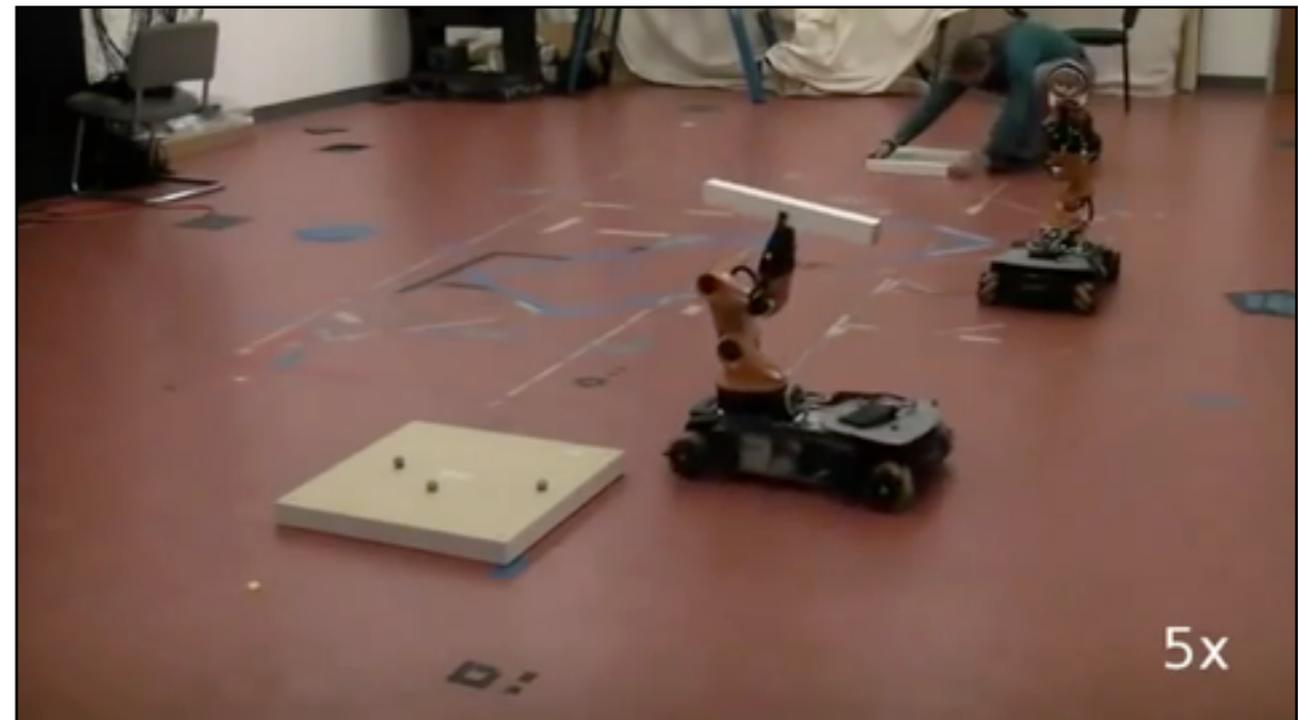
# Minecraft & Robotics

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[2]



<http://youtu.be/B9sYogRVF8Q?t=16s>



<http://youtu.be/fSLh92zCgIlg?t=1m12s>

⋮

[3] Ross A. Knepper, Todd Layton, John Romanishin, and Daniela Rus

# Minecraft

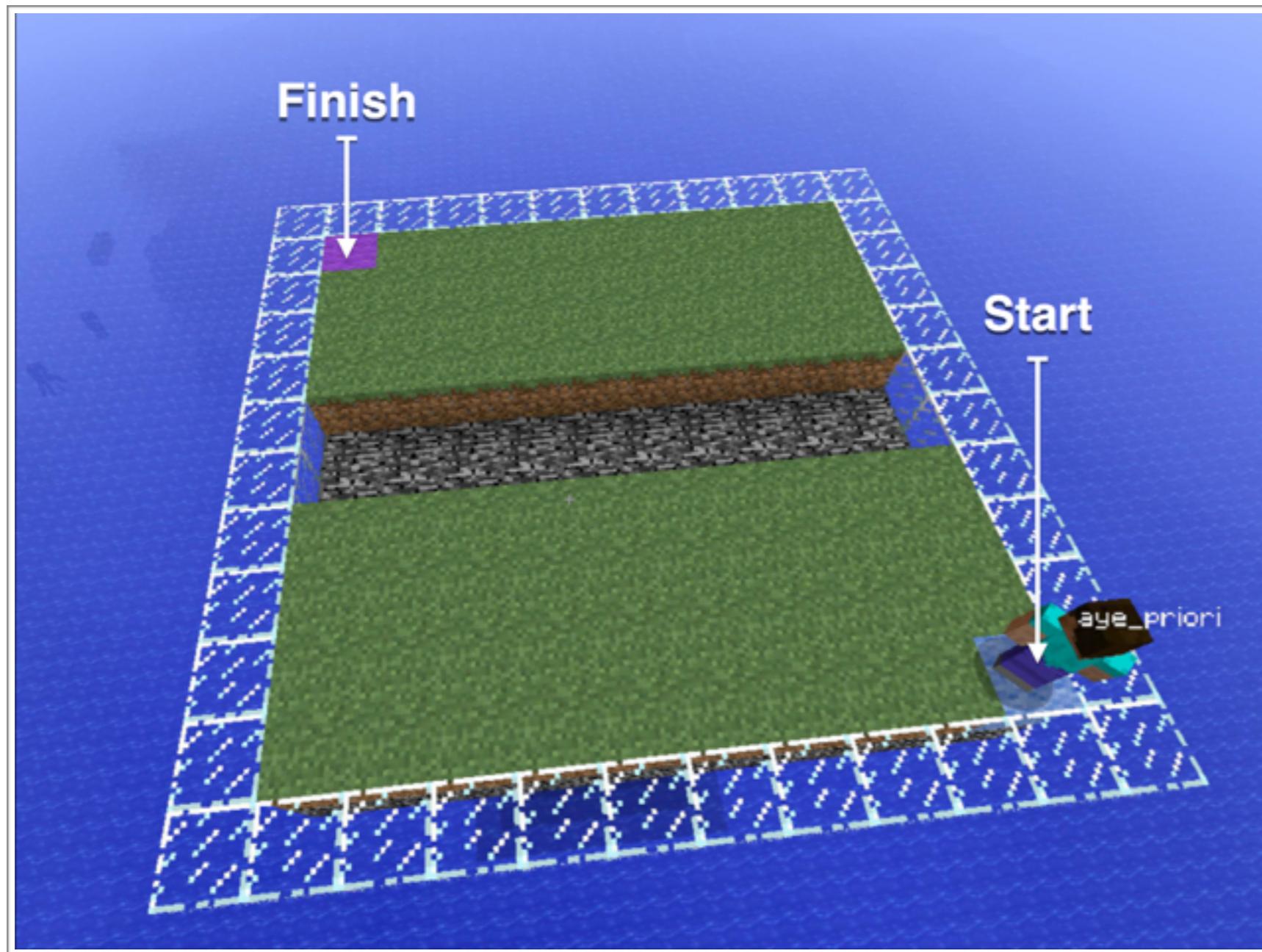
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<https://vimeo.com/99896931>



*≈ Turing Complete LEGO*

# Minecraft: The Problem

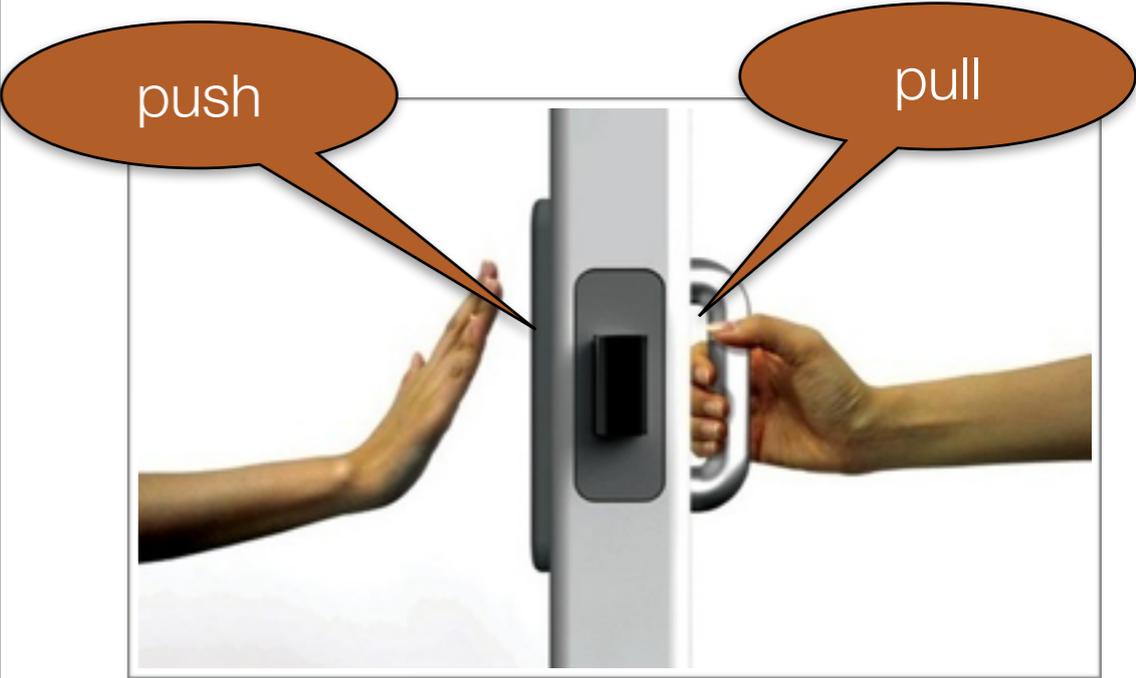
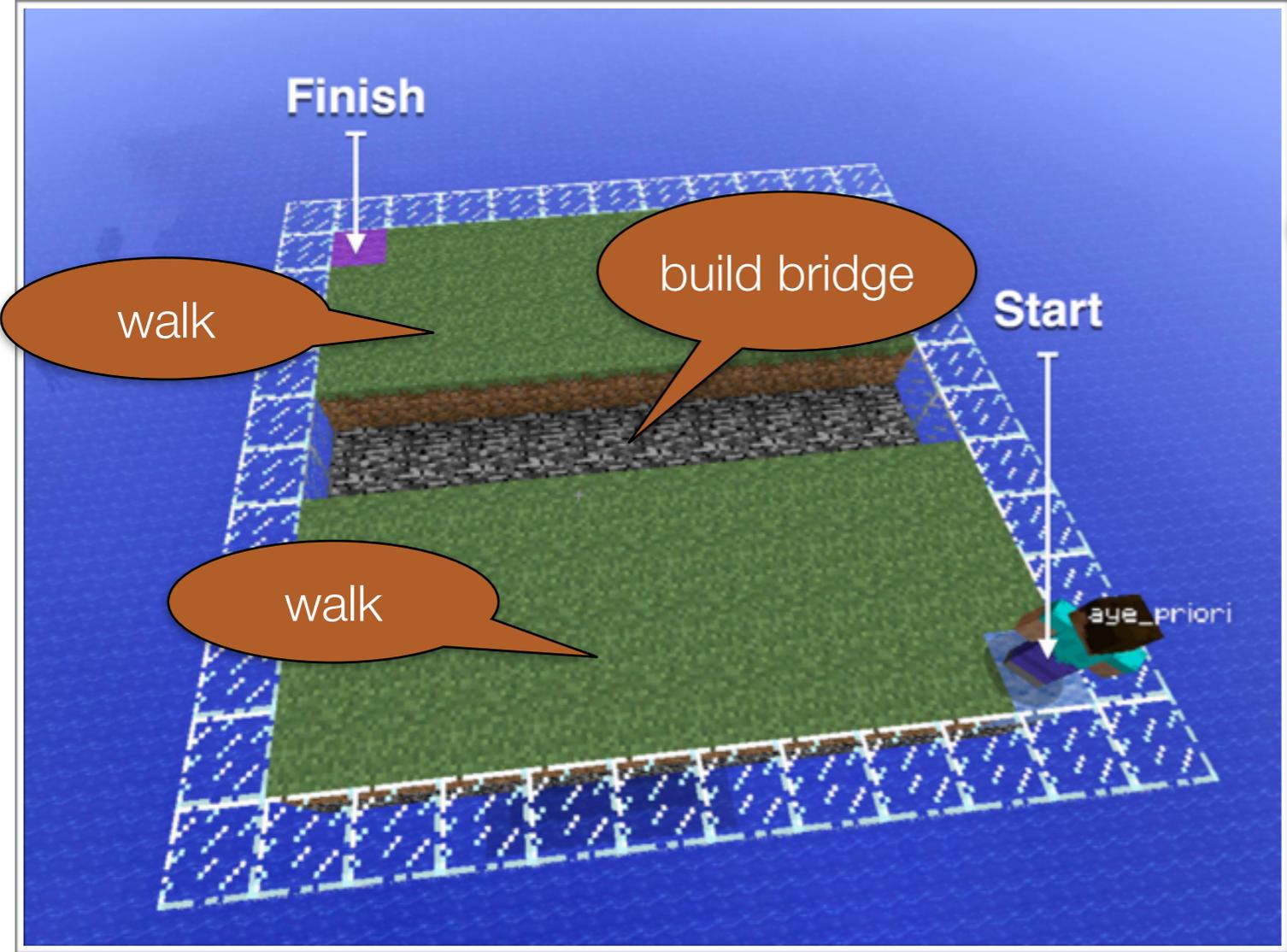


## ACTIONS

- Move
- Place
- Destroy
- Use
- Jump
- Rotate
- Look
- Craft
- ...

$\approx$  State Space Size:  $10^{181}$

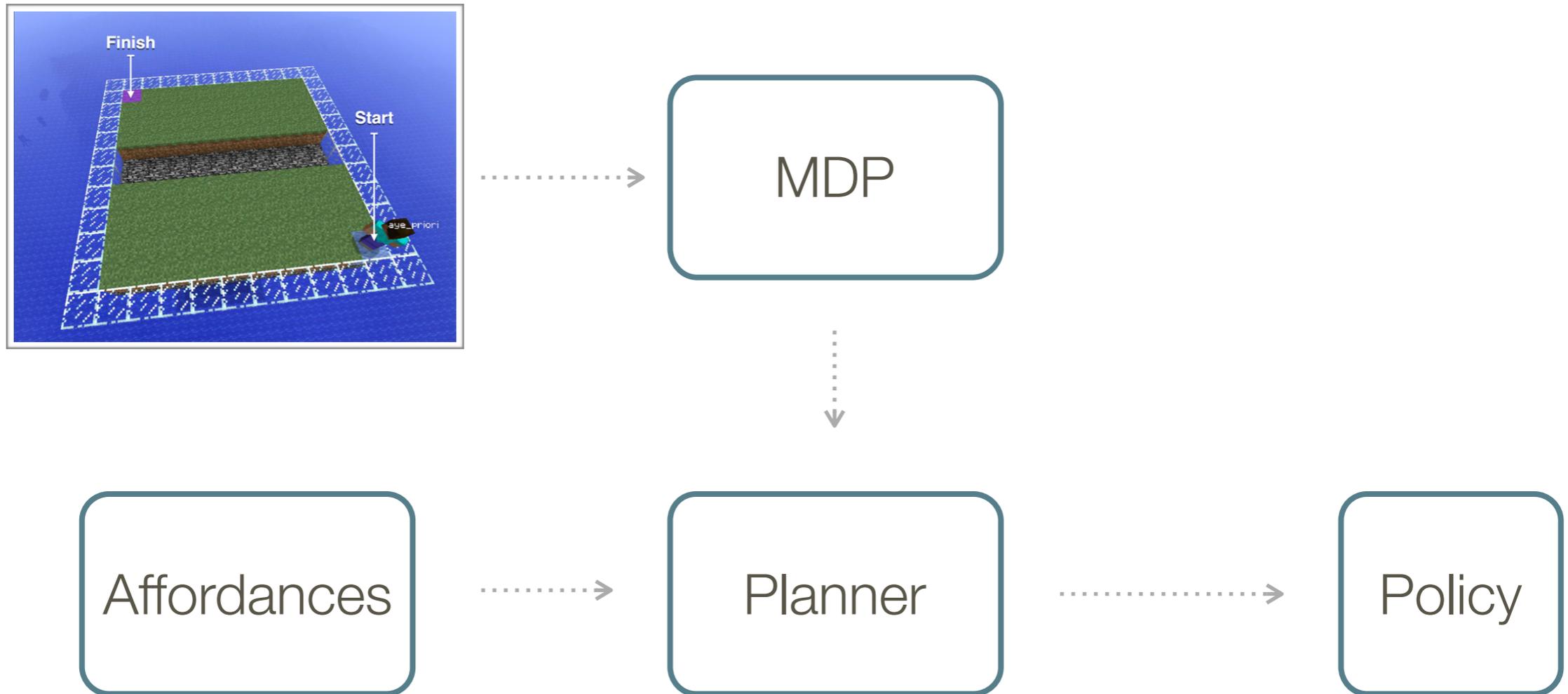
# Affordances In Planning



# Affordances as knowledge given to an MDP

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Idea: Affordances focus the agent on *relevant action possibilities* by pruning irrelevant actions on a state by state basis



# Affordances as knowledge added to an MDP

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We define an affordance as:

$$\Delta = \langle p, g \rangle \mapsto \mathcal{A}'$$

Where:

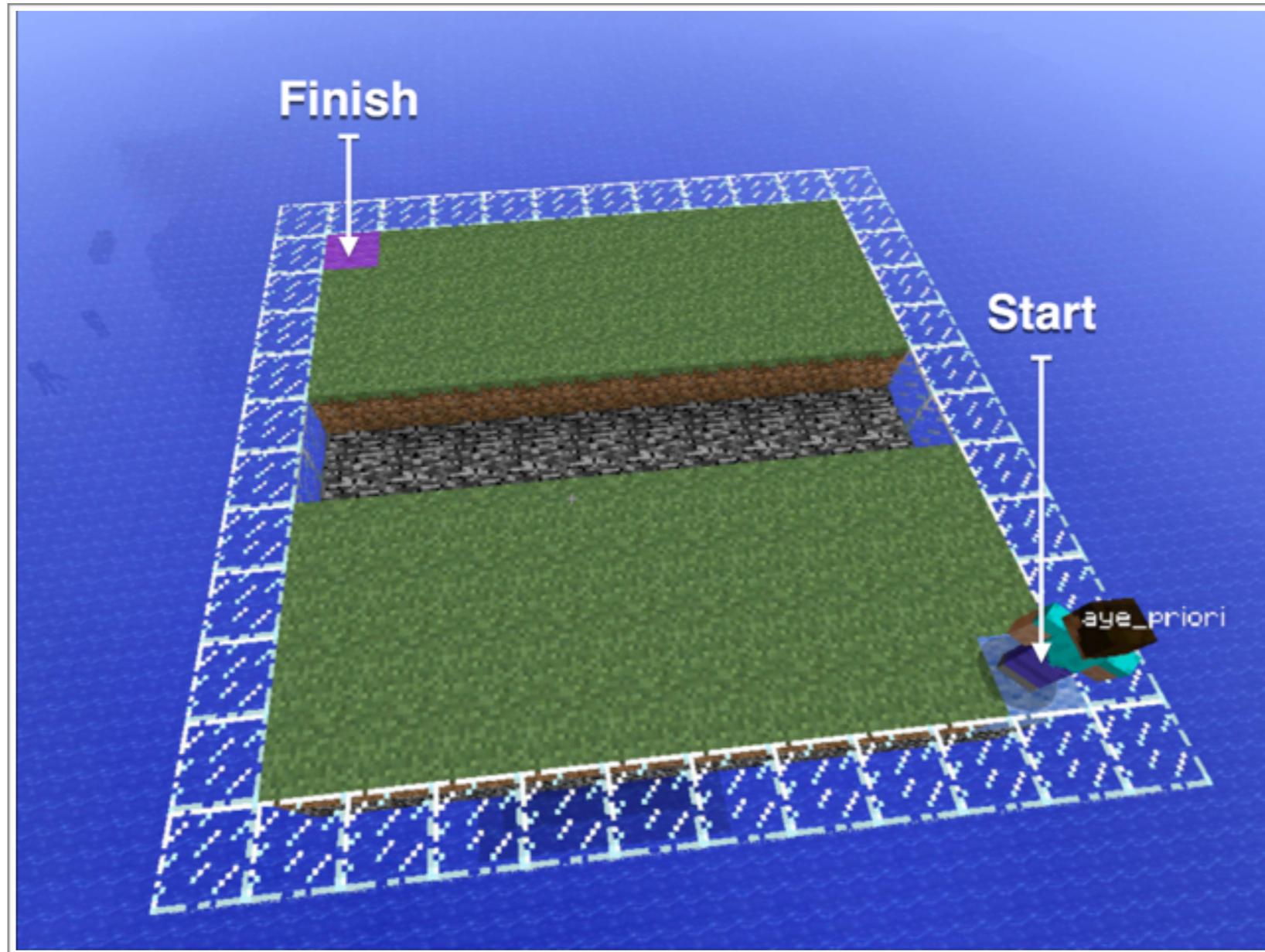
$\Delta$  = symbol for an affordance

$p$  = predicate on states

$g$  = lifted goal description

$\mathcal{A}'$  = subset of MDP actions

# Affordances Example

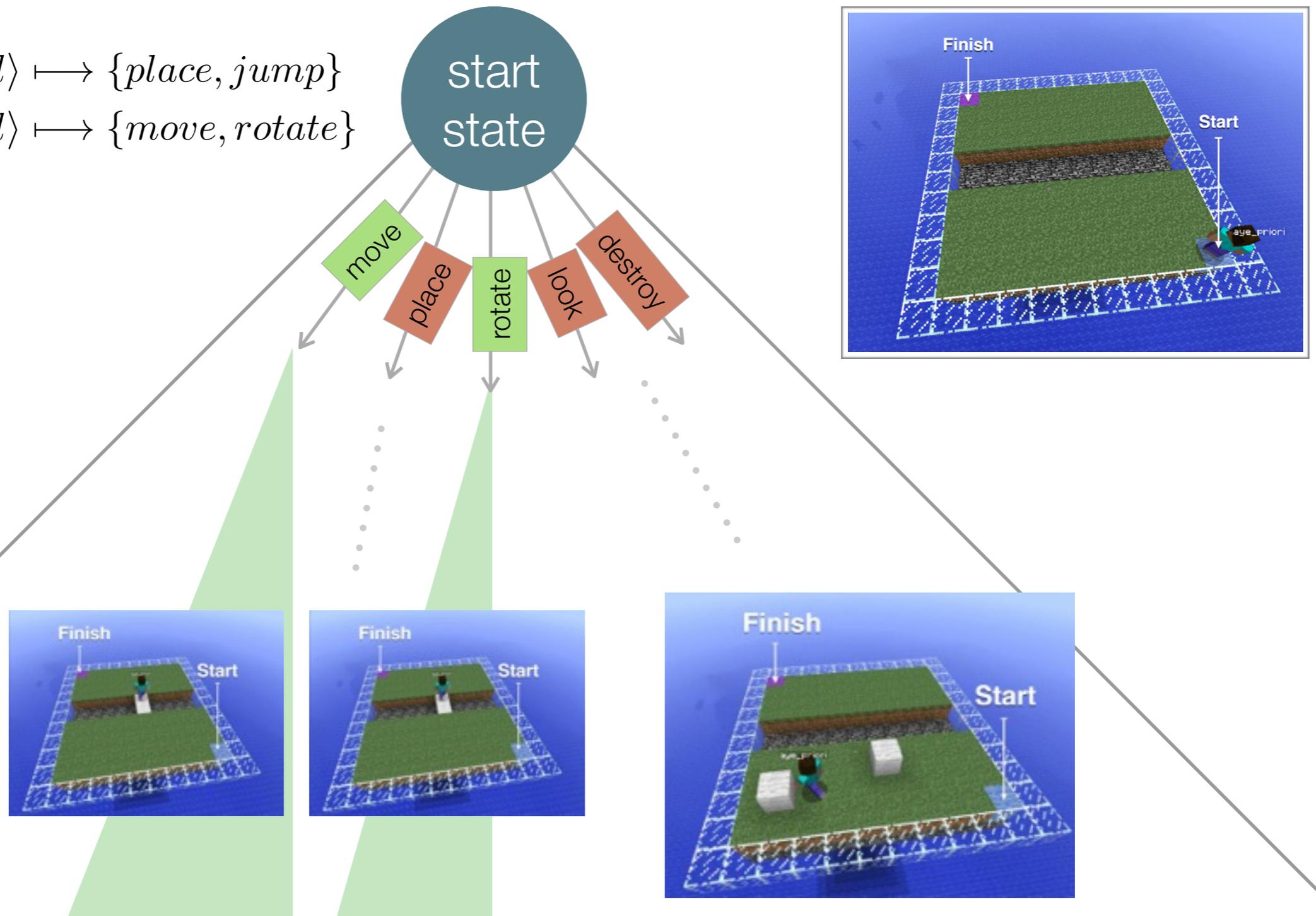


$\langle nearTrench, atGoal \rangle \mapsto \{place, jump\}$

$\langle nearPlane, atGoal \rangle \mapsto \{move, rotate\}$

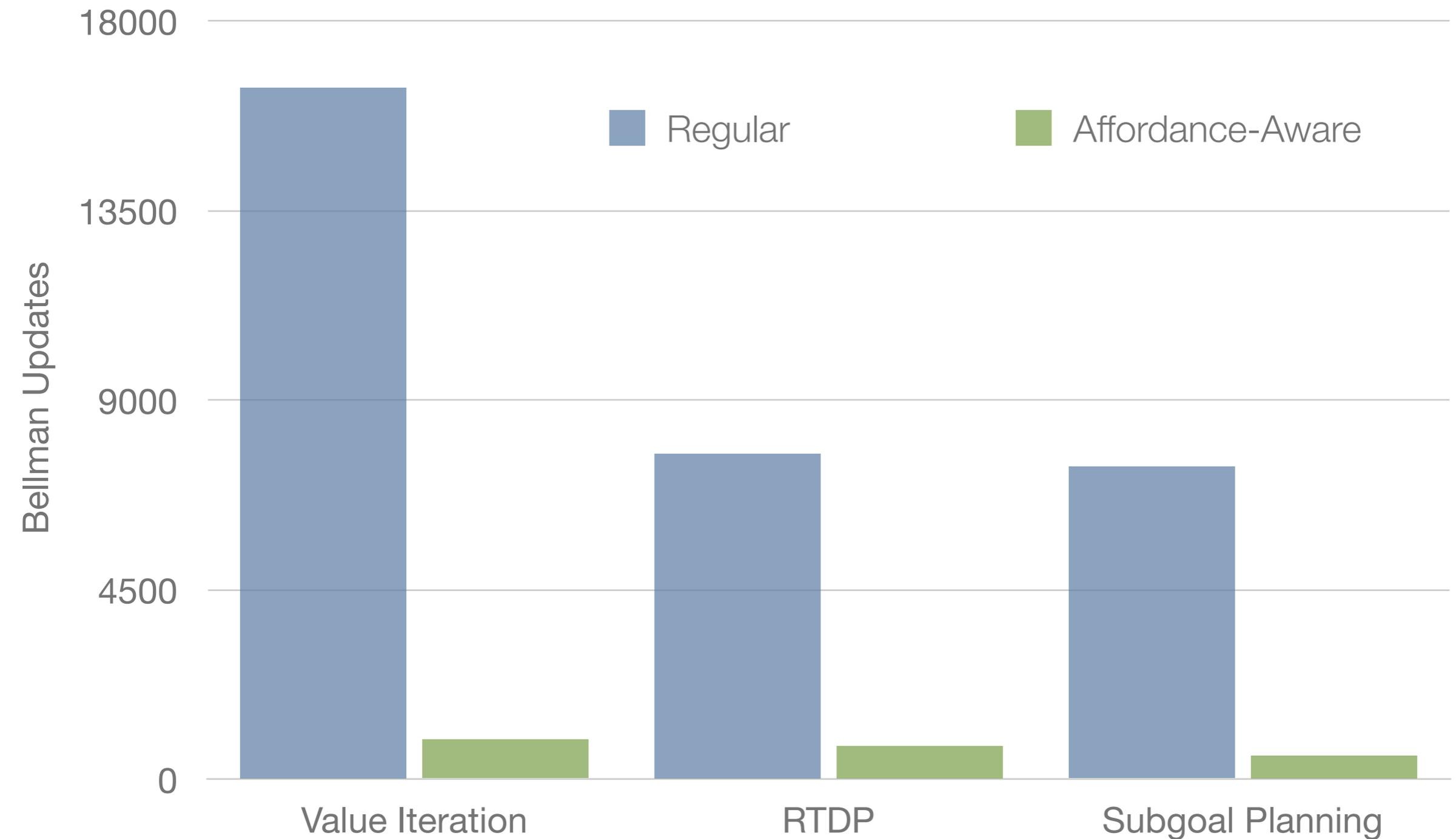
# Affordances Example: State-Action Space Pruning

$\langle nearTrench, atGoal \rangle \mapsto \{place, jump\}$   
 $\langle nearPlane, atGoal \rangle \mapsto \{move, rotate\}$



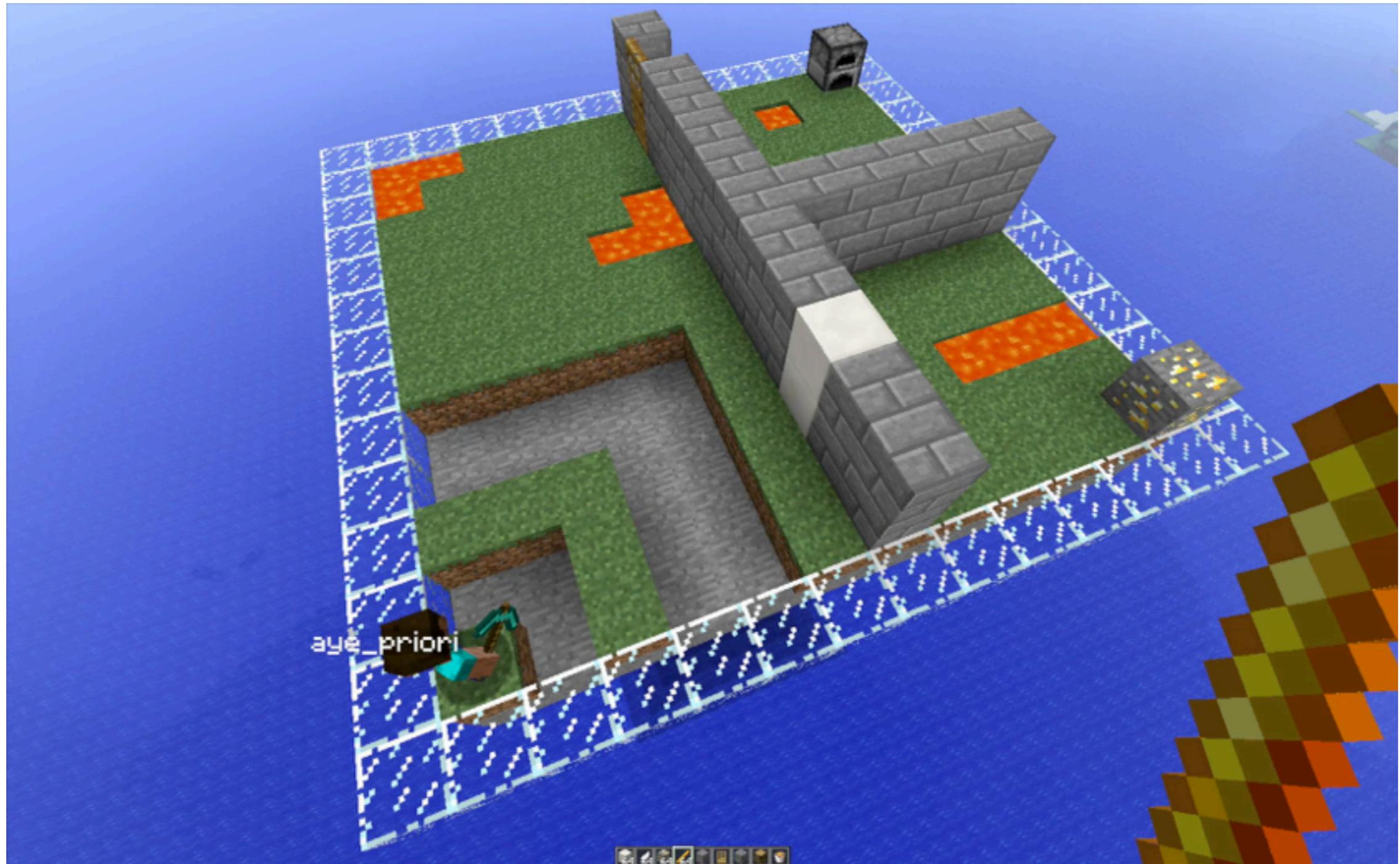
# Sample Results: Expert Affordances

Avg. # Bellman Updates to solve OO-MDP on Test State Space



# Demo

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<https://vimeo.com/88689171>

# Learning Framework: Goal

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- 1. Compute the probability that an action set contains the optimal action for each reachable state in the MDP*
- 2. Learn Dirichlet priors on action sets for each affordance to inform this distribution*

# Learning Framework

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1. Compute the probability that an action set contains the optimal action for each reachable state in the MDP

$$\Pr(\mathcal{A}^* \mid \mathbf{s}, \Delta_1, \dots, \Delta_K) \quad (1)$$

$$= \Pr(\mathcal{A}'_1 \cup \dots \cup \mathcal{A}'_K \mid \mathbf{s}, \Delta_1, \dots, \Delta_K)$$

\*assume action sets are disjoint

$$\approx \sum_i^K \Pr(\mathcal{A}'_i \mid \mathbf{s}, \Delta_i) \quad (2)$$

Key:

$\mathcal{A}^*$  = candidate set of actions

$\Delta_i$  = the  $i$ -th affordance

$\mathbf{s}$  = MDP state

$\mathcal{A}'_i$  = the  $i$ -th affordance's action set

# Learning Framework: Goal

2. Learn Dirichlet priors on action sets for each affordance that inform this distribution

$$\Pr(\mathcal{A}^* \mid s, \Delta_1, \dots, \Delta_K) \approx \sum_i^K \Pr(\mathcal{A}'_i \mid s, \Delta_i)$$

$$\Pr(\mathcal{A}'_i \mid s, \Delta_i) = \Pr(\mathcal{A}'_i \mid n_i, \lambda_i) = \Pr(\lambda_i \mid \alpha_i) \cdot \Pr(n_i \mid \beta_i)$$

Where:  $\Pr(\lambda_i \mid \alpha_i) = \text{DirMult}(\alpha_i)$      $\Pr(n_i \mid \beta_i) = \text{Dir}(\beta_i)$

Key:

$\mathcal{A}^*$  = candidate set of actions

$s$  = MDP state

$\lambda_i$  = multinomial over actions

$\alpha_i$  = Dirichlet parameters

$\Delta_i$  = the  $i$ -th affordance

$\mathcal{A}'_i$  = the  $i$ -th affordance's action set

$n_i$  = multinomial over action set size

$\beta_i$  = Dirichlet Multinomial parameters

# Full Learning Process

Input: P (set of predicates), G (set of goal descriptions)

*RANDOMLY GENERATE  
SMALL WORLDS:*



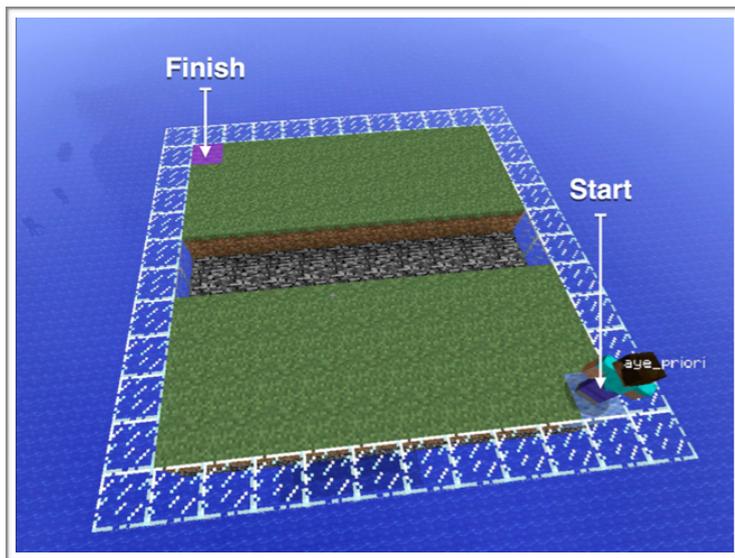
*SOLVE  
EACH MDP*

$\pi_1$  . . . . .  $\pi_N$

*COUNT:*

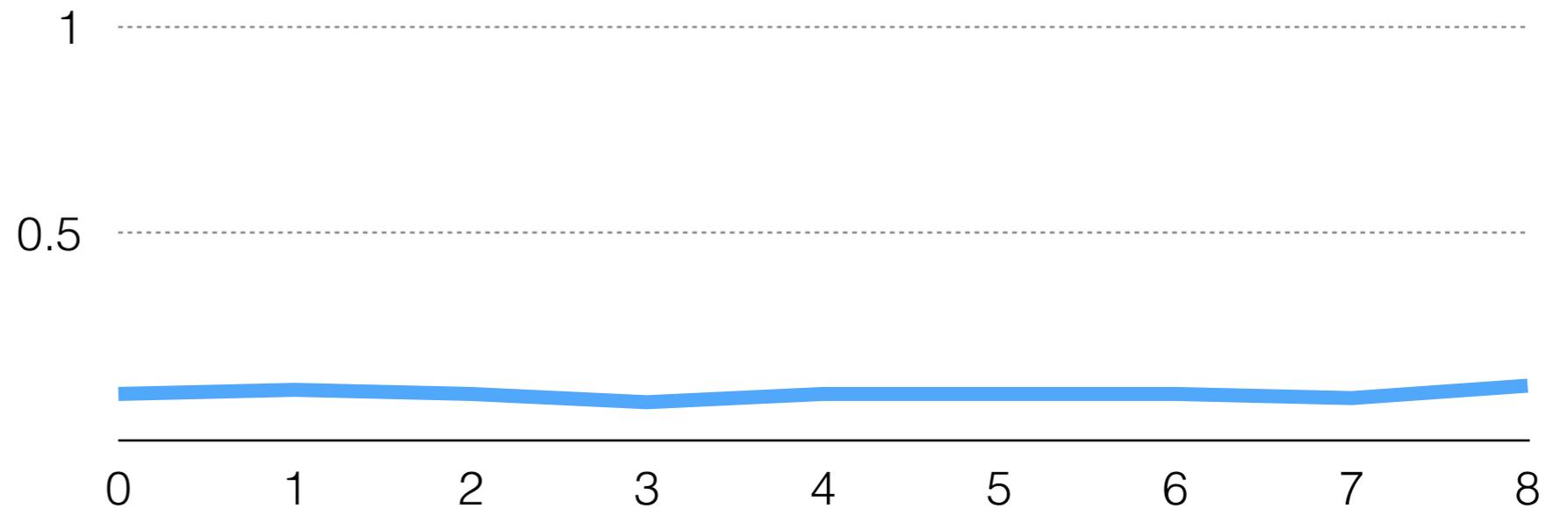
$\Delta_i.parameterUpdate(\pi_1, \dots, \pi_N)$

# Learning Example: Before Learning

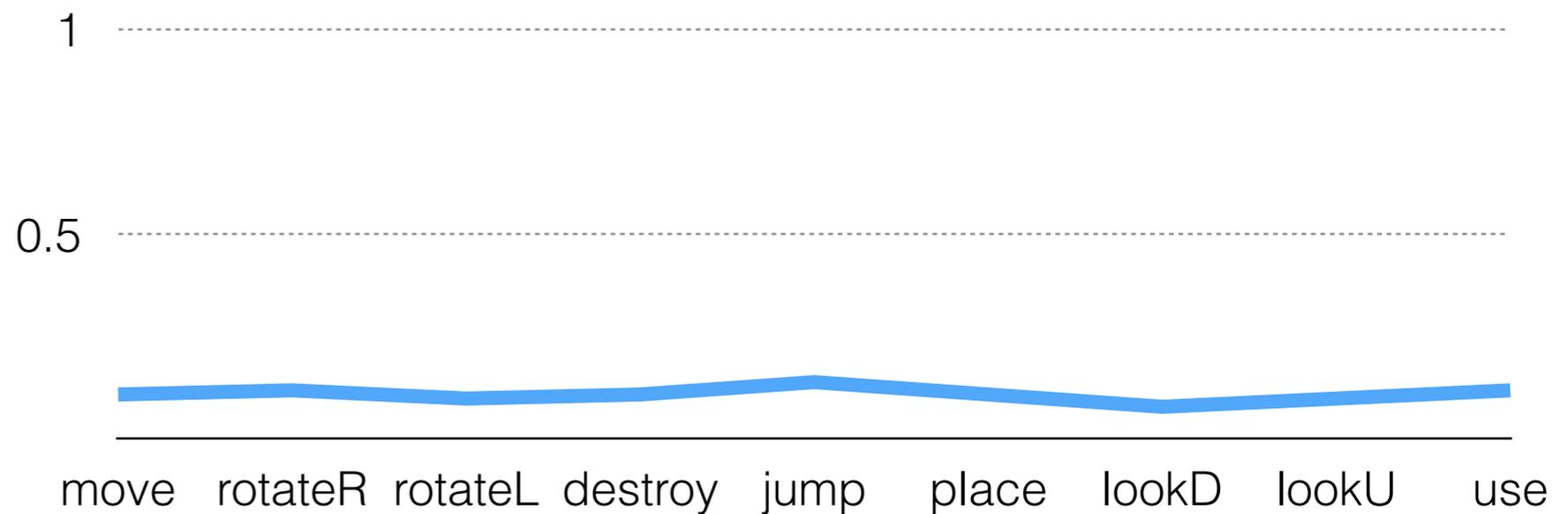


$p = \text{nearTrench}$   
 $g = \text{AtGoal}$

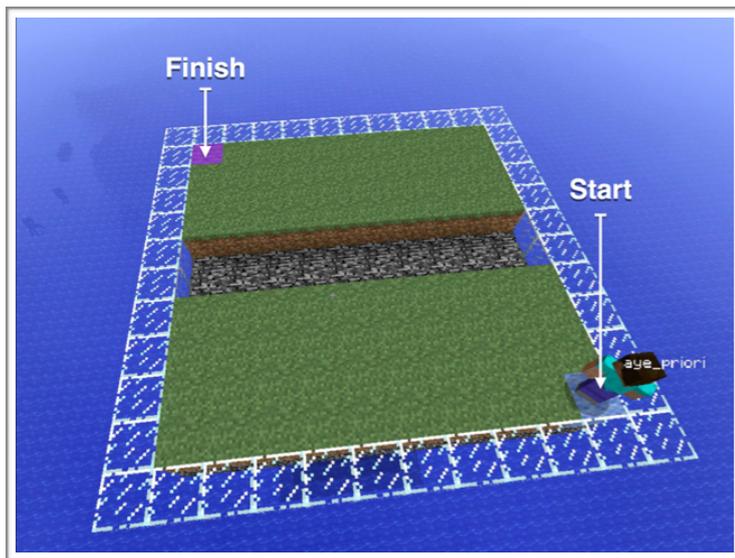
### Multinomial Over Action Set Size



### Multinomial Over Actions

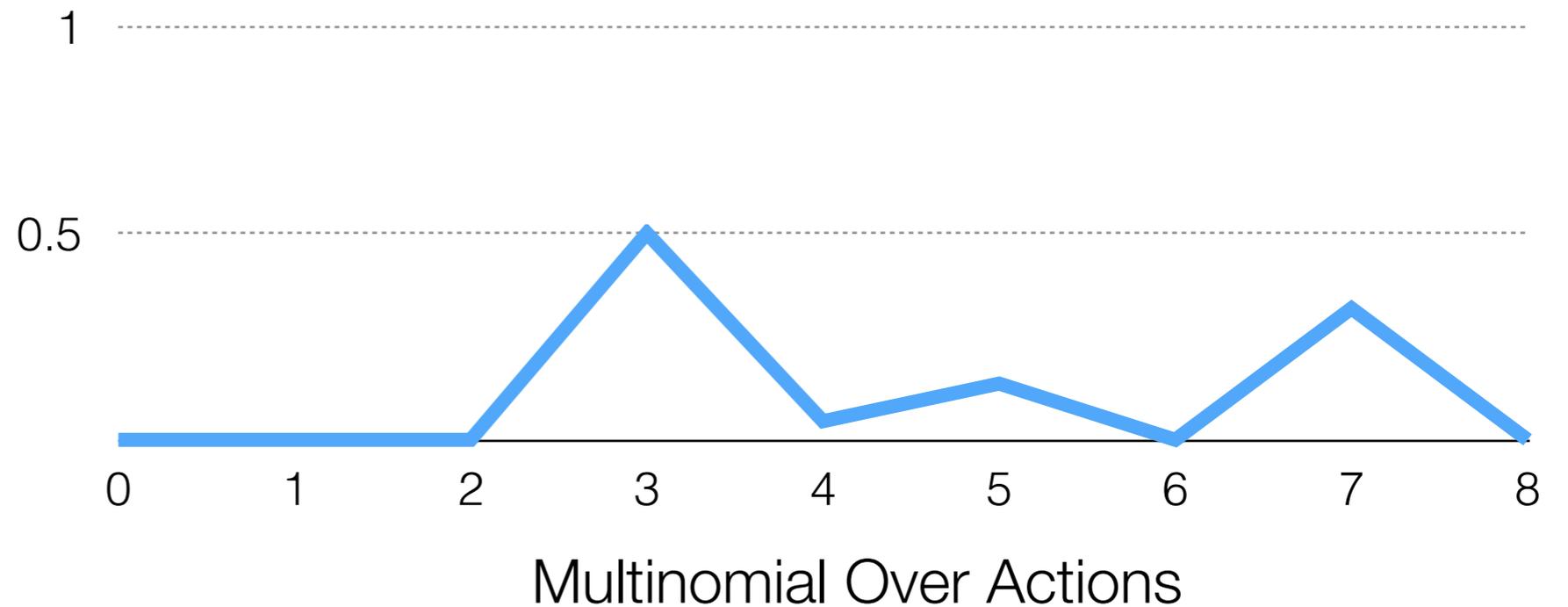


# Learning Example: After Learning

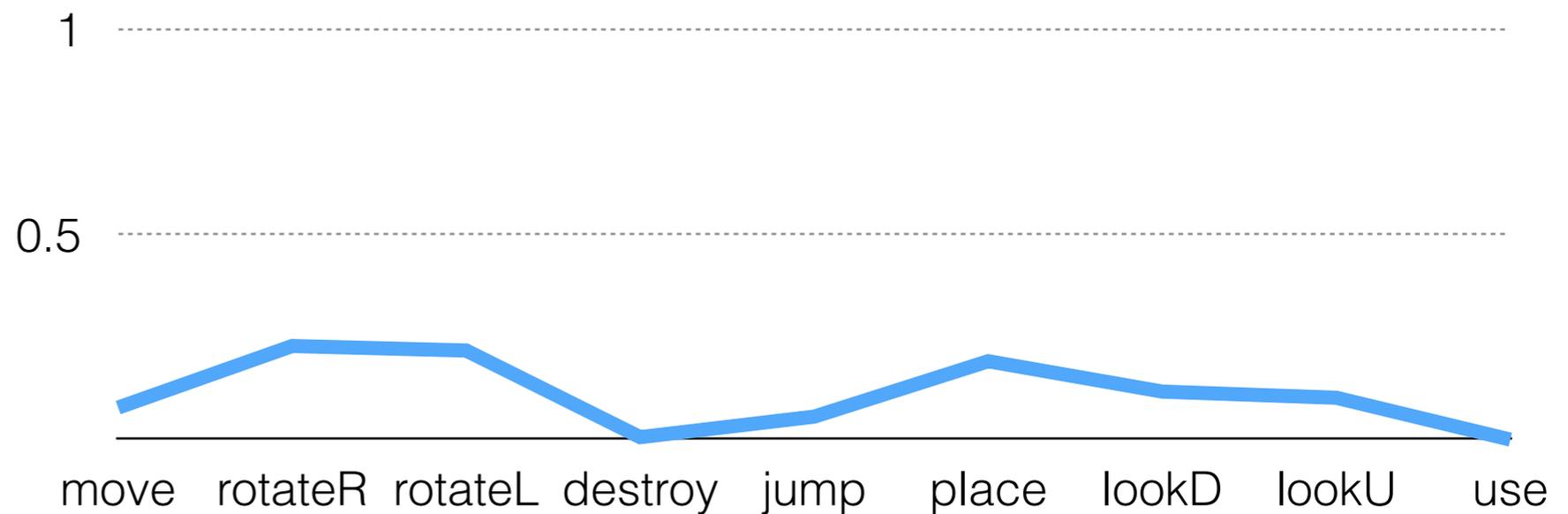


$p = \text{nearTrench}$   
 $g = \text{AtGoal}$

### Multinomial Over Action Set Size



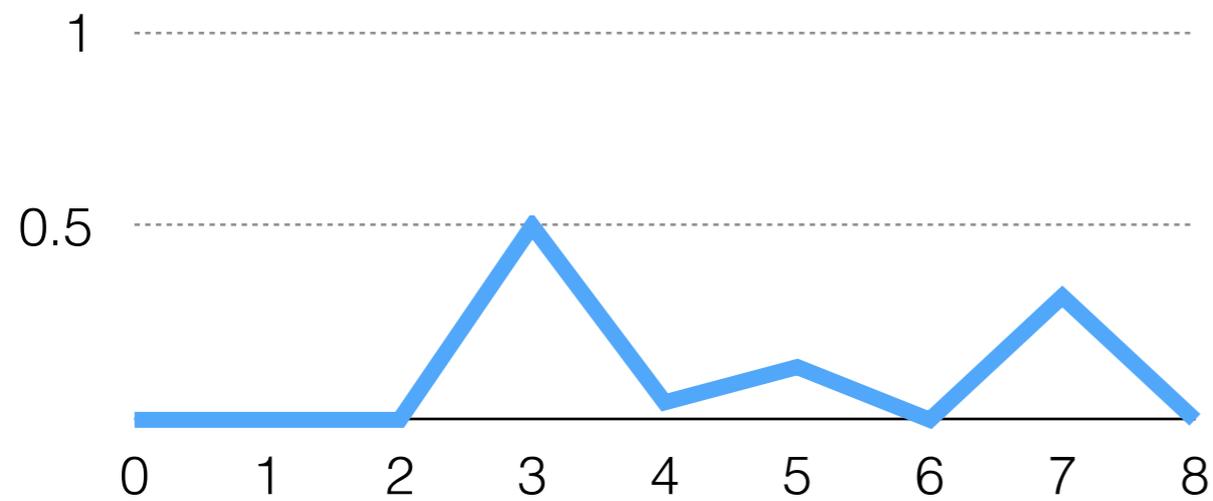
### Multinomial Over Actions



# Learning Example

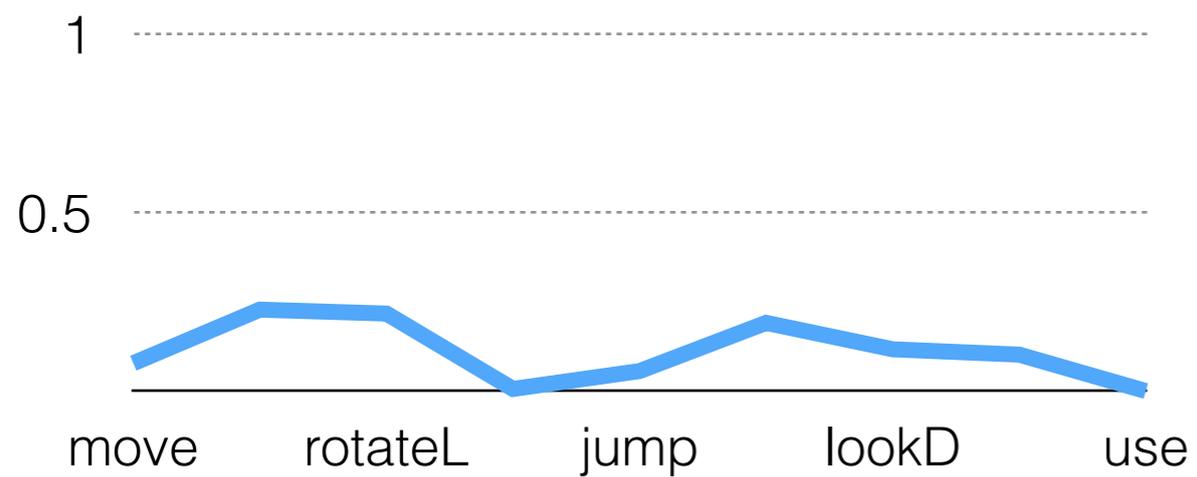
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Multinomial Over Action Set Size



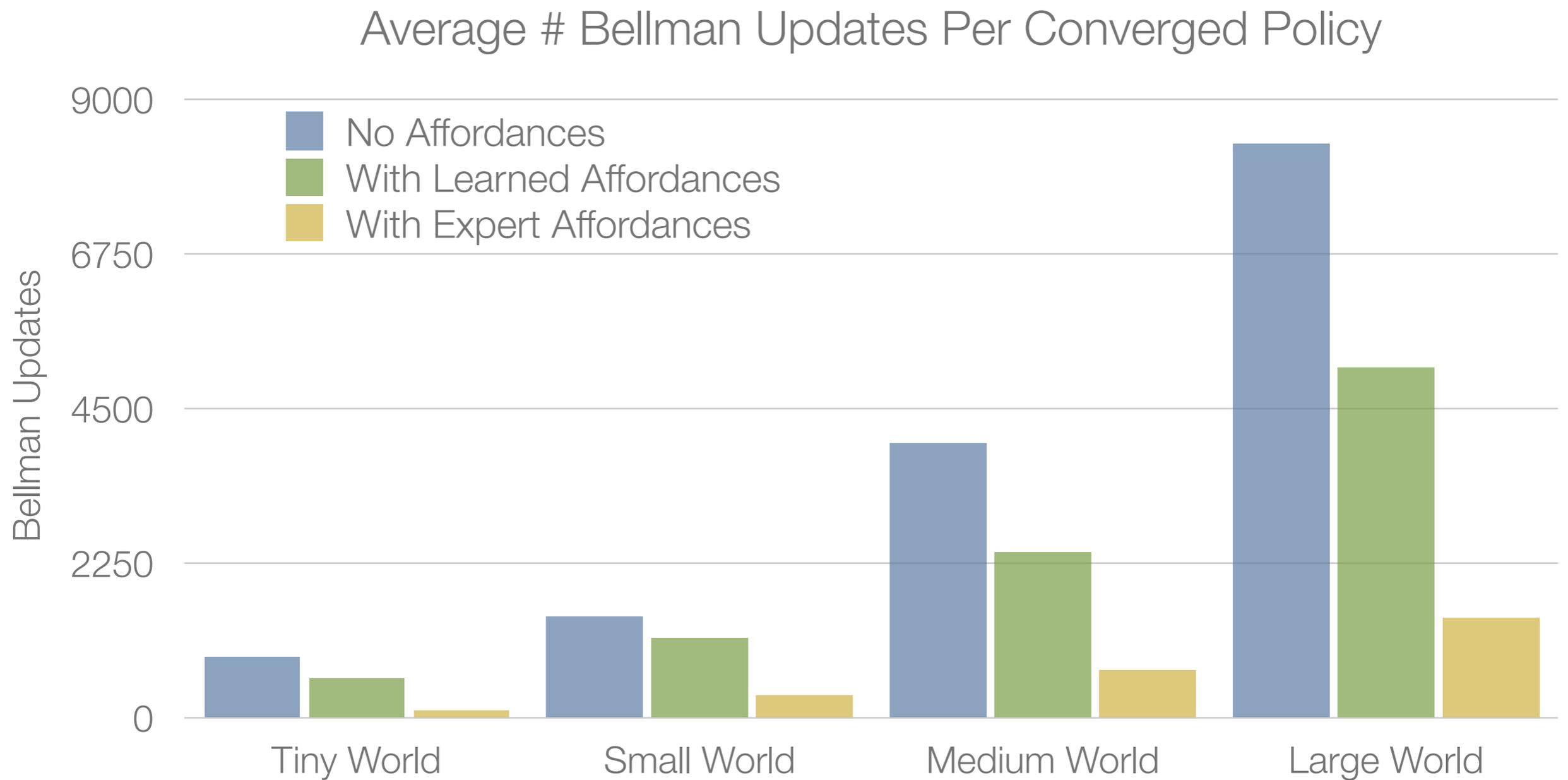
*Sample* → ***n***

Multinomial Over Actions



*Take **n** unique samples* → ***A***

# Learning Results



# Related Work

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- Temporarily Extended Actions [5, 6, 7]
- Temporal Logic [8, 9]
- Action Pruning [11, 12]
- Heuristics [13, 14]

# Future Work

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- Extending predicates to logical expressions
- Incorporate more of the Minecraft Domain
- Learning High-level Representations
- Deploy on robots, other domains (cooking, javascript, Atari)

# Contributions

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- Defined affordance as formal knowledge added to an MDP.
- Realized speedups for planning in large stochastic state spaces.
- Demonstrated framework for learning affordances from interaction in the world.

# References

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- [1] Jennifer L. Barry, DAART ROS package, <http://wiki.ros.org/darrt>
- [2] <https://www.youtube.com/watch?v=B9sYogRVF8Q>
- [3] Ross A. Knepper, Todd Layton, John Romanishin, and Daniela Rus. “IkeaBot: An Autonomous Multi-Robot Coordinated Furniture Assembly System”. Proceedings of the IEEE International Conference on Robotics and Automation (ICRA). Karlsruhe, Germany, May 2013.
- [4] <http://qph.is.quoracdn.net/main-qimg-f0a341a110341f5a58a93b75b491448d>
- [5] Milos Hauskrecht, Nicolas Meuleau, Leslie Pack Kaelbling, Thomas Dean, and Craig Boutilier. Hierarchical solution of markov decision processes using macro-actions. In *Proceedings of the Fourteenth conference on Uncertainty in artificial intelligence*, pages 220–229. Morgan Kaufmann Publishers Inc., 1998.
- [6] Richard S Sutton, Doina Precup, and Satinder Singh. Between mdps and semi-mdps: A framework for temporal abstraction in reinforcement learning. *Artificial intelligence*, 112(1):181–211, 1999.
- [7] Nicholas K. Jong. The utility of temporal abstraction in reinforcement learning. In Proceedings of the Seventh International Joint Conference on Autonomous Agents and Multiagent Systems, 2008.
- [8] Fahiem Bacchus and Froduald Kabanza. Using temporal logic to control search in a forward chaining planner. In *In Proceedings of the 3rd European Workshop on Planning*, pages 141–153. Press, 1995.
- [9] Fahiem Bacchus and Froduald Kabanza. Using temporal logics to express search control knowledge for planning. *Artificial Intelligence*, 116:2000, 1999.
- [10] A.A. Sherstov and P. Stone. Improving action selection in mdp’s via knowledge transfer. In *Proceedings of the 20th national conference on Artificial Intelligence*, pages 1024–1029. AAAI Press, 2005.
- [11] Benjamin Rosman and Subramanian Ramamoorthy. What good are actions? accelerating learning using learned action priors. In *Development and Learning and Epigenetic Robotics (ICDL), 2012 IEEE International Conference on*, pages 1–6. IEEE, 2012.
- [12] Eric A Hansen and Shlomo Zilberstein. Solving markov decision problems using heuristic search. In Proceedings of AAAI Spring Symposium on Search Techniques from Problem Solving under Uncertainty and Incomplete Information, 1999.
- [13] Andrew Y Ng, Daishi Harada, and Stuart Russell. Policy invariance under reward transformations: Theory and application to reward shaping. In *ICML*, volume 99, pages 278–287, 1999

# Extra Slides: Learning Math

Probability that an action set contains the optimal action for each reachable state in the MDP

$$\Pr(\mathcal{A}^* \mid s, \Delta_1, \dots, \Delta_K)$$

approximate assuming action sets are disjoint

$$\Pr(\mathcal{A}^* \mid s, \Delta_1, \dots, \Delta_K) \approx \sum_i^K \Pr(\mathcal{A}'_i \mid s, \Delta_i)$$

For each affordance

$$\Pr(\mathcal{A}'_i \mid s, \Delta_i) = \Pr(\mathcal{A}'_i \mid n_i, \lambda_i) = \Pr(\lambda_i \mid \alpha_i) \cdot \Pr(n_i \mid \beta_i)$$

Key:

$\mathcal{A}'_i$  = Affordance<sub>*i*</sub> action set  
 $\mathcal{A}^*$  = Candidate action set  
 $\lambda$  = Actions sampled from affordance-specific multinomial  
 $n$  = Action set size sampled from affordance-specific multinomial  
 $\Delta_i$  = Affordance<sub>*i*</sub>  
 $\alpha$  = Dirichlet Multinomial parameters for prior on actions  
 $\beta$  = Dirichlet parameters for prior on action set size  
 $s$  = MDP state

$$\Pr(\lambda_i \mid \alpha_i) = \text{DirMult}(\alpha_i)$$

$$\Pr(n_i \mid \beta_i) = \text{Dir}(\beta_i)$$

# Extra Slides: Graphical Model

Key:

$\mathcal{A}'_i$  = Affordance<sub>*i*</sub> action set

$\mathcal{A}^*$  = Candidate action set

$\lambda$  = Actions sampled from affordance-specific multinomial

$n$  = Action set size sampled from affordance-specific multinomial

$\Delta_i$  = Affordance<sub>*i*</sub>

$\alpha$  = Dirichlet Multinomial parameters for prior on actions

$\beta$  = Dirichlet parameters for prior on action set size

$s$  = MDP state

